

MOTION IN A STRAIGHT LINE – PART 1

Distance, Displacement, Speed & Velocity

1 WHAT IS MOTION IN A STRAIGHT LINE?

Motion along a single straight path is called **rectilinear motion**.



EXAMPLES:

- 1 Train moving on a straight track



- 2 Lift moving upward or downward



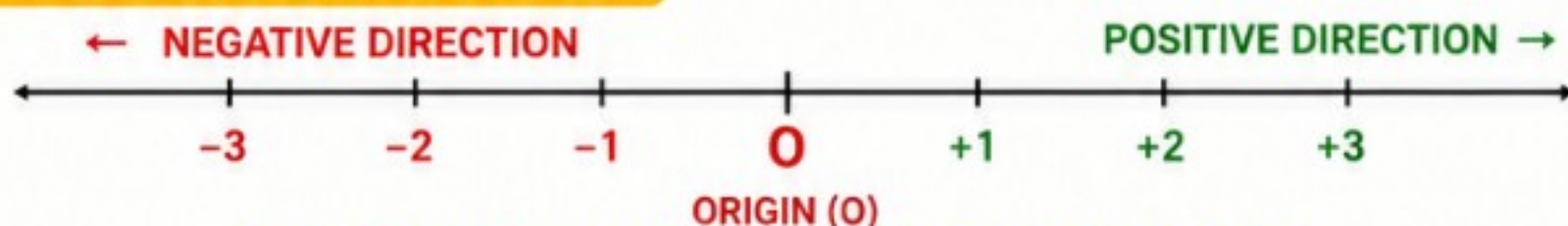
- 3 Car moving on a straight road



- 4 Ball falling vertically downward



2 DIRECTION AND SIGN CONVENTION



In one-dimensional motion, direction is represented using **positive (+)** and **negative (-)** signs.

3 DISTANCE VS DISPLACEMENT

DISTANCE

- ✓ Total path length travelled
- ✓ Scalar quantity
- ✓ Always positive or zero
- ✓ Depends on the actual path



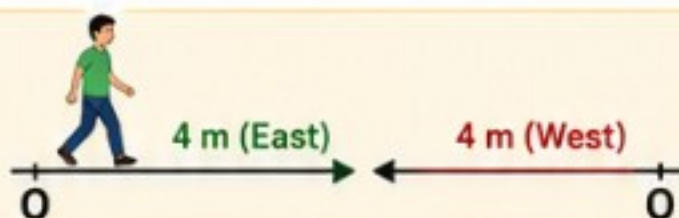
DISPLACEMENT

- ✓ Change in position
- ✓ Vector quantity
- ✓ Can be positive, negative or zero
- ✓ Depends only on initial and final positions



EXAMPLE:

Walk 4 m east and then 4 m west.



Distance = 8 m

Displacement = 0 m

4 SPEED VS VELOCITY

SPEED = Distance ÷ Time



- ✓ Scalar quantity
- ✓ No direction
- ✓ Always positive or zero

VELOCITY = Displacement ÷ Time

- ✓ Vector quantity
- ✓ Has direction
- ✓ Can be positive, negative or zero



5 AVERAGE SPEED

$$\text{Average Speed} = \frac{\text{Total Distance}}{\text{Total Time}}$$



6 AVERAGE VELOCITY

$$\text{Average Velocity} = \frac{\text{Total Displacement}}{\text{Total Time}}$$



COMMON MISTAKE: Speed and velocity are **NOT** the same.

7 IMPORTANT EXAMPLE

A car completes a circular path and returns to its starting point.



Distance $\neq$ 0

Displacement = 0



EXAM TIP: Always check whether the question asks for **DISTANCE** or **DISPLACEMENT**.



MOTION IN A STRAIGHT LINE – PART 2

Acceleration & Equations of Motion

1 ACCELERATION

Acceleration = **Rate of change** of velocity

$$a = \frac{v - u}{t}$$

Where:

u = Initial velocity

v = Final velocity

a = Acceleration

t = Time

$t = 0$ s $t = 1$ s $t = 2$ s $t = 3$ s
 $u = 0$ m/s $v = 5$ m/s $v = 10$ m/s $v = 15$ m/s



Velocity increases with time

2 TYPES OF ACCELERATION

POSITIVE ACCELERATION

Velocity increases with time.



0 m/s 5 m/s 10 m/s 15 m/s

Time

NEGATIVE ACCELERATION (RETARDATION)

Velocity decreases with time.



15 m/s 10 m/s 5 m/s 0 m/s

Time

ZERO ACCELERATION

Velocity remains constant.



10 m/s 10 m/s 10 m/s 10 m/s

Time

UNIFORM MOTION



An object covers equal displacements in equal intervals of time.

NON-UNIFORM MOTION



Velocity changes with time.

UNIFORM ACCELERATION



Acceleration remains constant.



The three equations of motion are valid only for **CONSTANT ACCELERATION**.

3 THREE EQUATIONS OF MOTION

EQUATION 1

$$v = u + at$$



Used when final velocity is required.

EQUATION 2

$$s = ut + \frac{1}{2} at^2$$



Used when displacement and time are involved.

EQUATION 3

$$v^2 = u^2 + 2as$$



Useful when time is not given.

SYMBOLS

u → Initial velocity

v → Final velocity

a → Acceleration

t → Time

s → Displacement

4 SOLVED NUMERICAL EXAMPLE

? QUESTION:

A car starts from rest and accelerates at 2 m/s^2 for 5 seconds. Find:

1 Final velocity

2 Distance travelled



SOLUTION:

Initial velocity: $u = 0 \text{ m/s}$

Acceleration: $a = 2 \text{ m/s}^2$

Time: $t = 5 \text{ s}$

FINAL VELOCITY

$$v = u + at$$

$$v = 0 + (2 \times 5)$$

$$v = 10 \text{ m/s}$$

DISTANCE

$$s = ut + \frac{1}{2} at^2$$

$$s = 0 + \frac{1}{2} \times 2 \times 5^2$$

$$s = 25 \text{ m}$$

FINAL ANSWER:



Final Velocity = 10 m/s

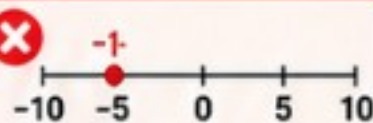


Distance Travelled = 25 m

5 COMMON MISTAKES



Using equations when acceleration is not constant.



Forgetting that displacement can be negative.



Confusing initial velocity u with final velocity v .



$$\frac{1}{2} at^2$$

Forgetting square on t in $\frac{1}{2} at^2$.



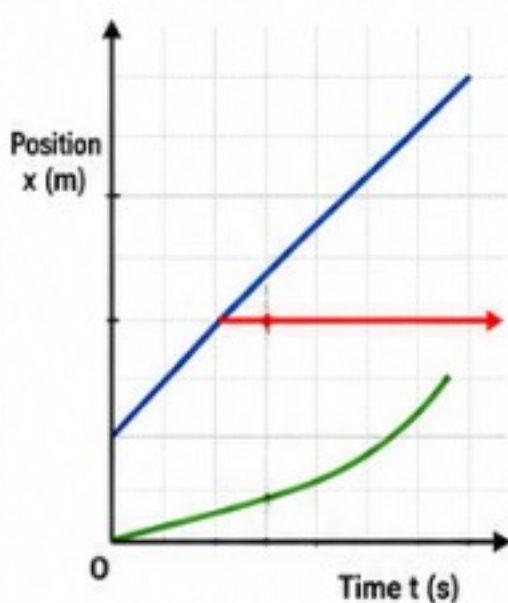
MEMORY TRICK: If time is missing, try $v^2 = u^2 + 2as$



MOTION IN A STRAIGHT LINE – PART 3

Motion Graphs, Relative Velocity & Exam Questions

1 POSITION-TIME GRAPH



Straight Line
→ Uniform velocity

Horizontal Line
→ Object is at rest

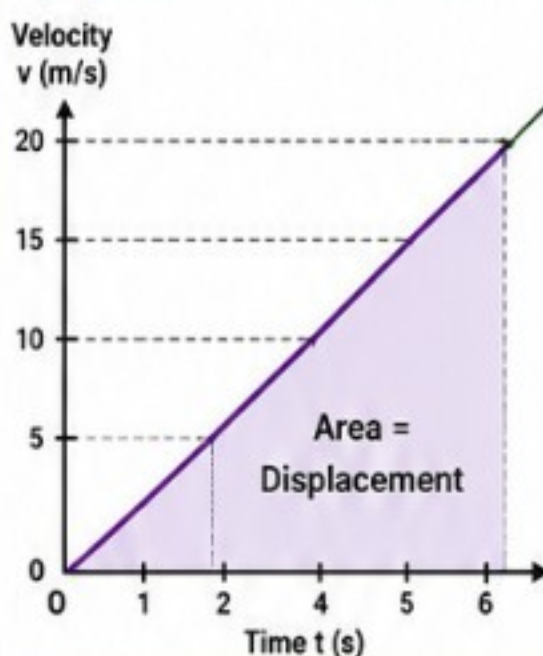
Curved Line
→ Velocity is changing



IMPORTANT FORMULA

Slope of Position-Time Graph = Velocity

2 VELOCITY-TIME GRAPH



Slope of v - t Graph
= Acceleration

Area Under v - t Graph
= Displacement

Horizontal Line
(Constant velocity)
= Zero acceleration



A steeper velocity-time graph means **greater acceleration**, not automatically greater velocity.

3 RELATIVE VELOCITY IN A STRAIGHT LINE

$$V_A \text{ (relative to B)} = V_A - V_B$$

SAME DIRECTION



Train A = 60 km/h

Train B = 40 km/h

Relative velocity of A wrt B
 $= 60 - 40 = 20 \text{ km/h}$

OPPOSITE DIRECTIONS



Train A = 60 km/h

Train B = 40 km/h

Relative velocity of A wrt B
 $= 60 + 40 = 100 \text{ km/h}$



Always use the correct sign convention for direction.

4 IMPORTANT NCERT-STYLE QUESTION

A body has:
Initial velocity = 5 m/s
Acceleration = 3 m/s²
Time = 4 s
Find distance travelled.



FORMULA

$$s = ut + \frac{1}{2}at^2$$

CALCULATION

$$\begin{aligned}s &= (5 \times 4) + \frac{1}{2} \times 3 \times 4^2 \\s &= 20 + 24 \\s &= 44 \text{ m}\end{aligned}$$



Distance = 44 m

5 IMPORTANT EXAM QUESTIONS

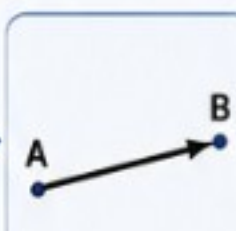
- Derive the three equations of motion using a velocity-time graph.
- Explain the difference between distance and displacement.
- Why can displacement be zero when distance is not zero?
- Explain the slope of a position-time graph.
- What does the area under a velocity-time graph represent?
- Define relative velocity.
- Solve numerical problems based on $v = u + at$.
- Explain positive and negative acceleration.



6 FINAL CHAPTER SUMMARY – QUICK REVISION MAP



POSITION



DISPLACEMENT



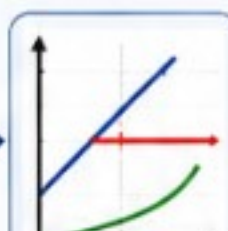
VELOCITY



ACCELERATION

$$\begin{aligned}v &= u + at \\s &= ut + \frac{1}{2}at^2 \\v^2 &= u^2 + 2as\end{aligned}$$

EQUATIONS OF MOTION



MOTION GRAPHS



RELATIVE VELOCITY



MASTER THE CONCEPTS + PRACTICE NUMERICALS = **HIGHER PHYSICS MARKS**



MOST IMPORTANT: Understand signs, graphs and constant acceleration before solving formulas.

